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Bundesamt für Eich- und Vermessungswesen

Introduction to Geodetic VLBI

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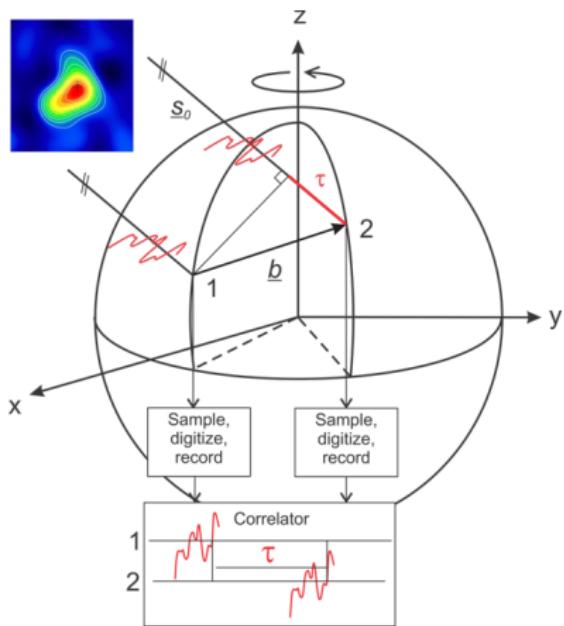
^bTU Wien, Department of Geodesy and Geoinformation

Geodetic, Astrometric and Astronomic VLBI

What's the difference?

- Geodesy uses VLBI to derive earth bound parameters
- Astrometry uses VLBI to measure the position and movement of astronomical objects
- Astronomie uses VLBI to image astronomical objects

Geometric principal



$$\tau = -\frac{\vec{b} \cdot \vec{s}_0}{c} = t_2 - t_1 \quad (1)$$

- Baseline (station positions) and source position must be in the same reference frame
- τ is what we observe with VLBI
- Normal VLBI session consists of a globally distributed network

Definitions

scan: a time period during which multiple stations observes the same source simultaneously

Example: 5 stations observe source 0454-234

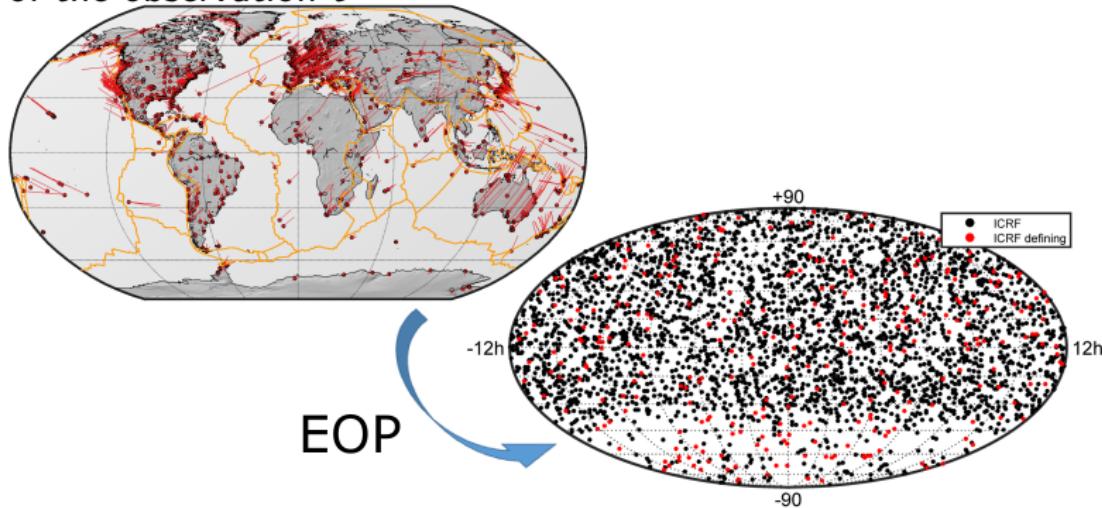
observation: a single baseline during a scan

Number of observations per scan: $n_{obs} = \frac{n_{sta} \cdot (n_{sta}-1)}{2}$

Example: $n_{sta} = 5 \rightarrow n_{obs} = 10$

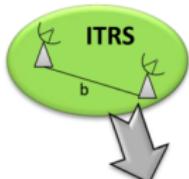
Earth orientation

From the International Terrestrial Reference System (ITRS) to the Geocentric Celestial Reference System (GCRS) at the epoch of the observation t



Earth orientation

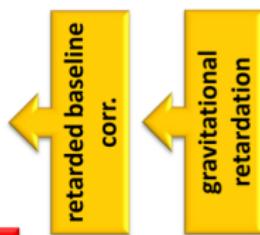
International Terrestrial Reference System



$$\vec{b}_{GCRS} = PNRW \cdot \vec{b}_{TRS}$$

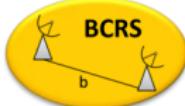
Geocentric Celestial
Reference System

Barycentric Celestial
Reference System



$$\tau = \frac{-\vec{s}_0 \cdot \vec{b}}{c}$$

Lorentz-transformation



Lorentz-transformation

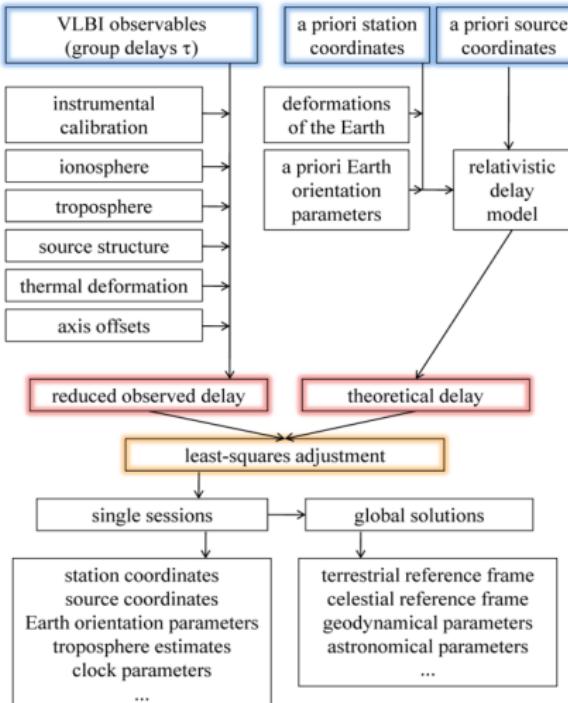
τ in TT-frame

Least Squares Method

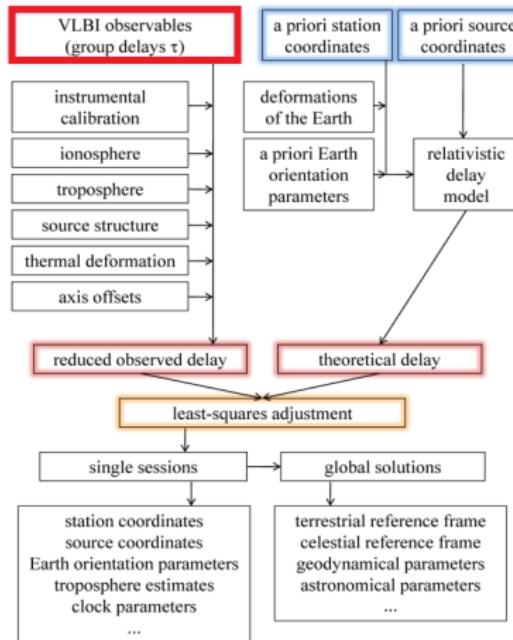
Understanding LSM is necessary to understand results and requirements for geodetic VLBI

→ short introduction (unfortunately with some math)

VLBI analysis flowchart



Observation corrections



Observations are provided by correlator

- NGS format (ASCII)
- VGOS-DB (netCDF files)

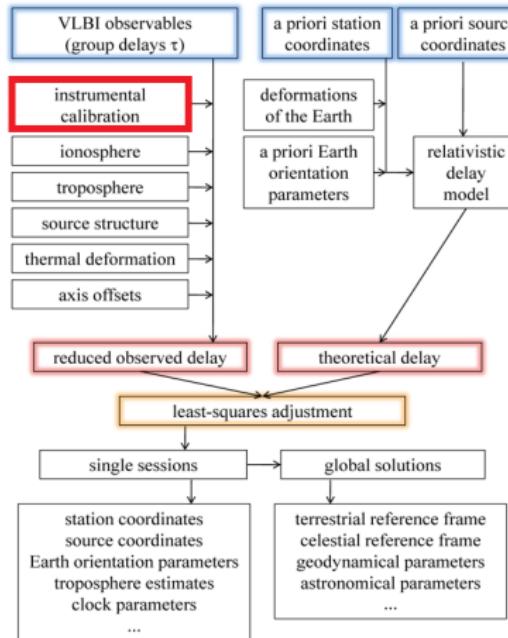
Observation corrections

What data is stored?

- baseline
- time
- source
- observation τ (formal error)
- cable calibration correction
- meteorological observations
- ionospheric corrections

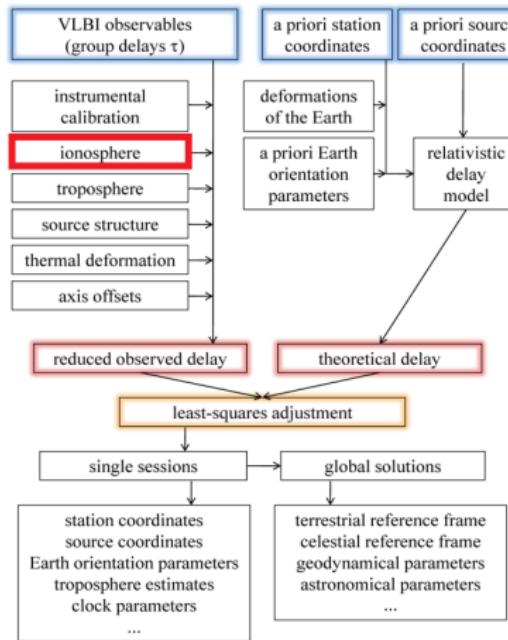
Observation corrections

instrumental calibration



stretching of cables introduces an additional delay

Observation corrections



ionosphere

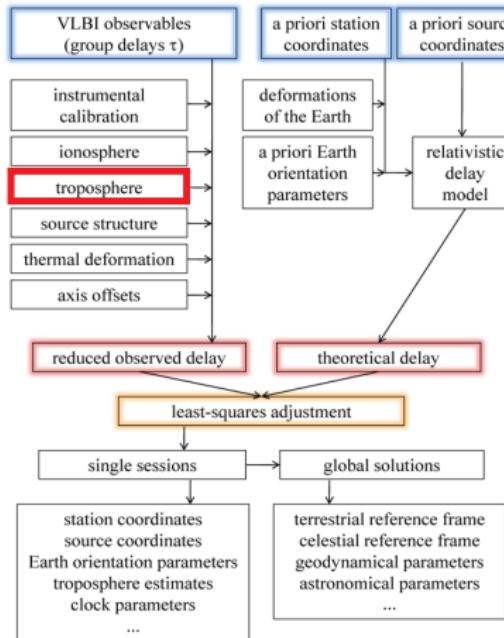
Ionosphere is dispersive (changes with frequency) for radio waves

Observing two frequencies (X- and S-band) at the same time lets you calculate the ionospheric correction

$$\Delta\tau_{X}^{ion} = (\tau_X - \tau_S) \cdot \frac{f_S^2}{f_X^2 - f_S^2}$$
$$f_S = 2.3\text{GHz}$$
$$f_X = 8.4\text{GHz}$$

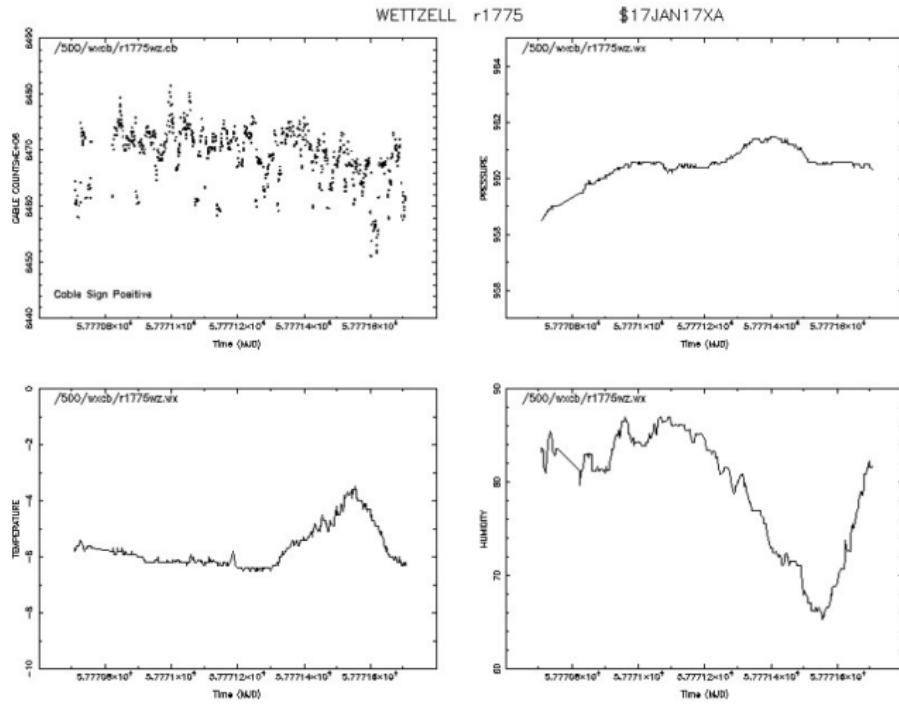
Observation corrections

troposphere



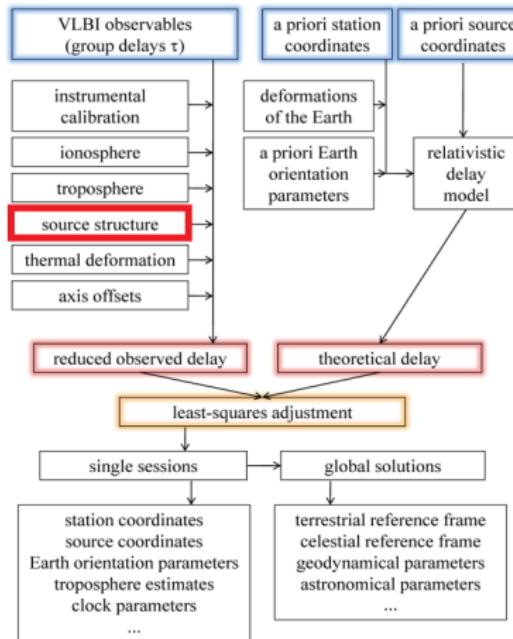
Measuring tropospheric parameters (e.g. pressure) on site

Observation corrections troposphere



Observation corrections

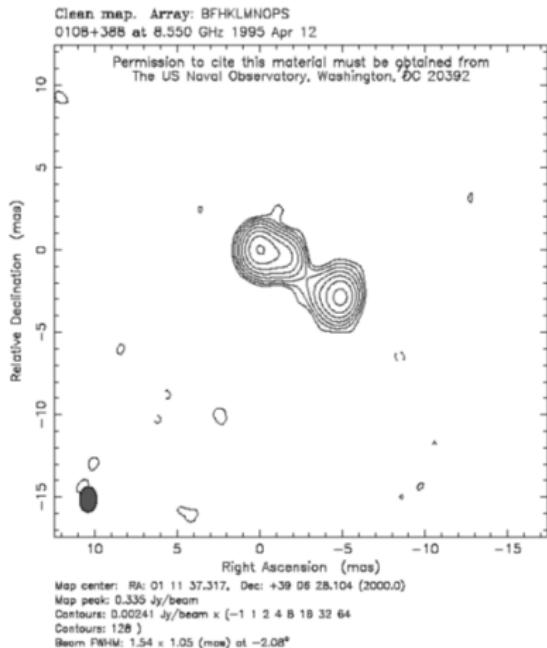
source structure



- Source is not always point-like
- Structure can change with frequency

Observation corrections

X-Band

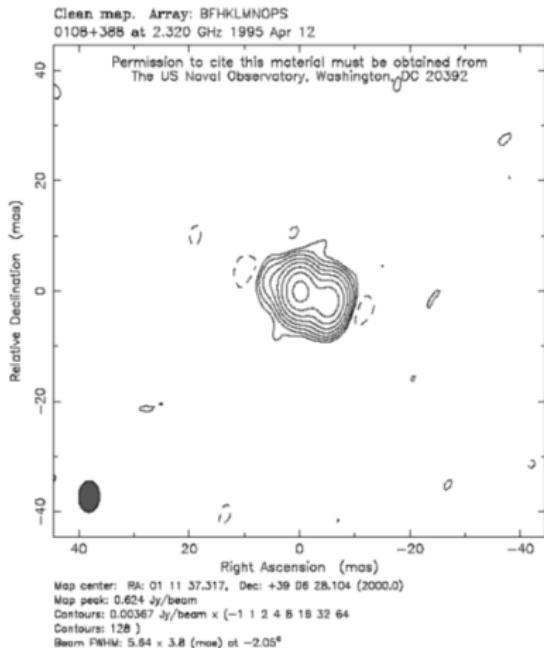


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AVN school

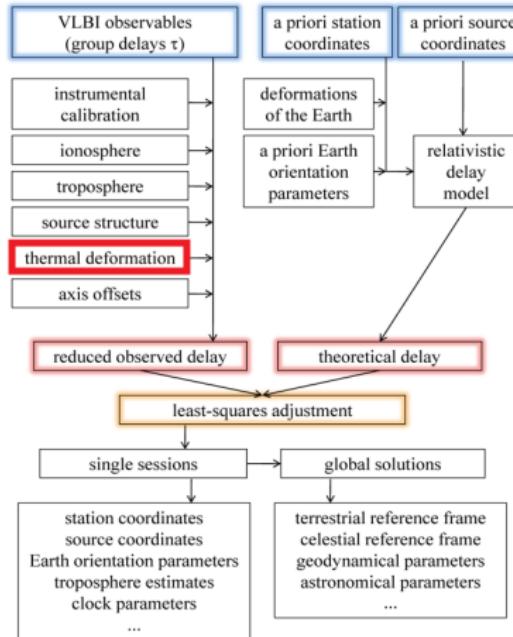
15

troposphere S-Band



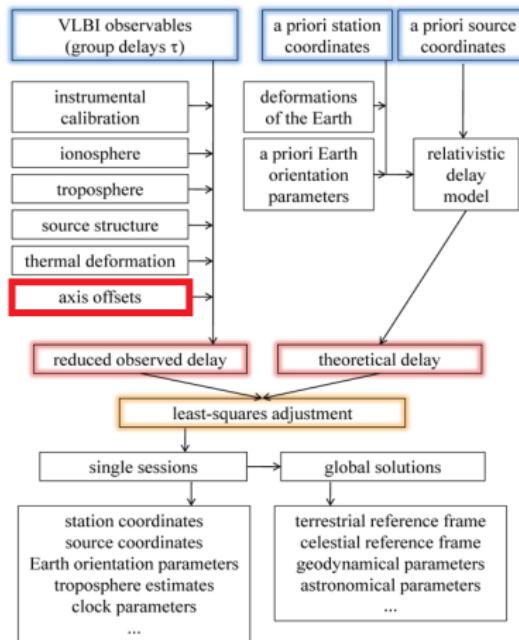
Observation corrections

thermal deformation



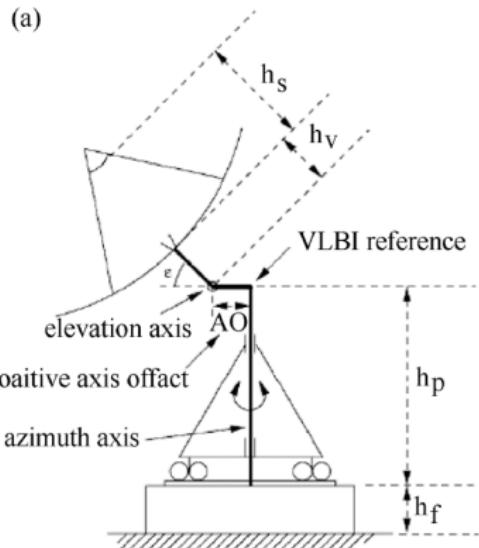
Modeling thermal expansion of telescopes

Observation corrections



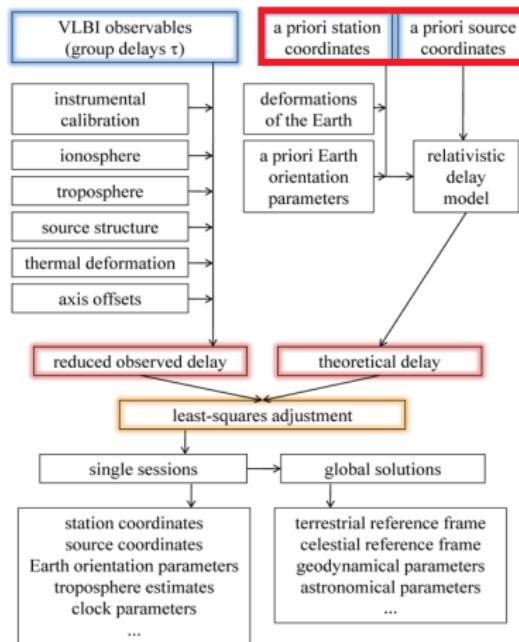
axis offsets

Axes of telescopes usually don't intersect



The theoretical delay

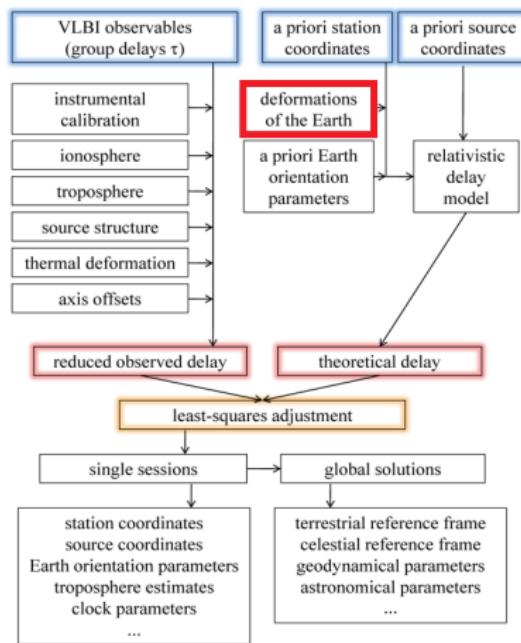
a priori coordinates



From TRS and CRS realisations

- ITRF2014
- ICRF3

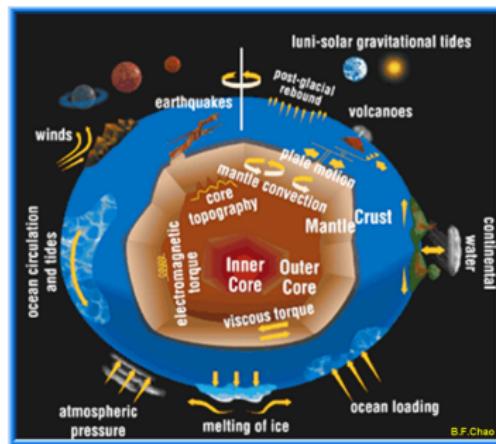
The theoretical delay



deformations of the earth

Various models need to be applied

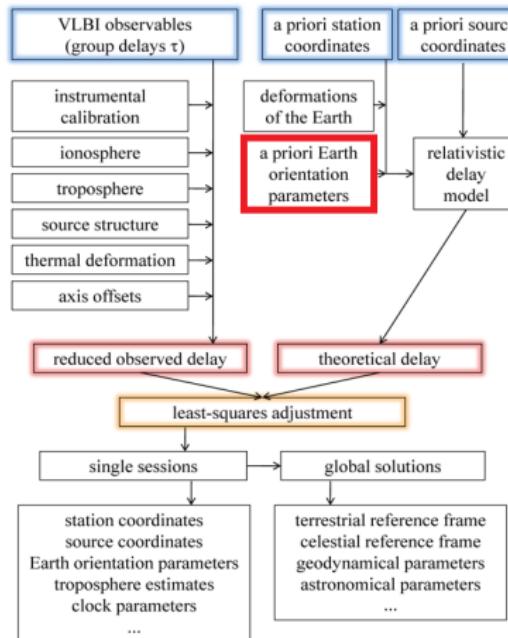
■ IERS Conventions



<http://geodesy.agu.org>

The theoretical delay

a priori Earth orientation parameters



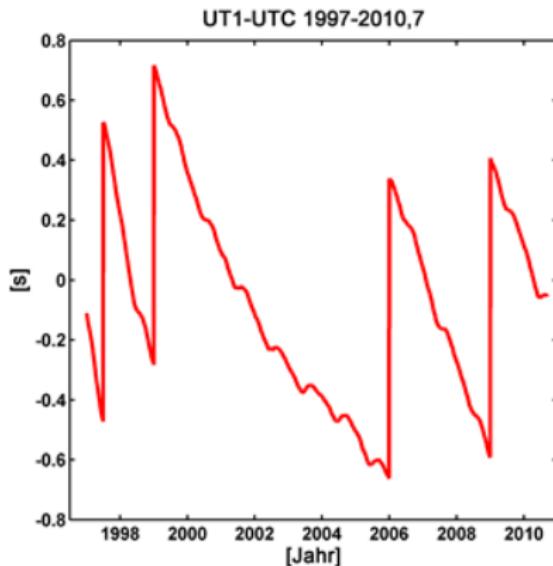
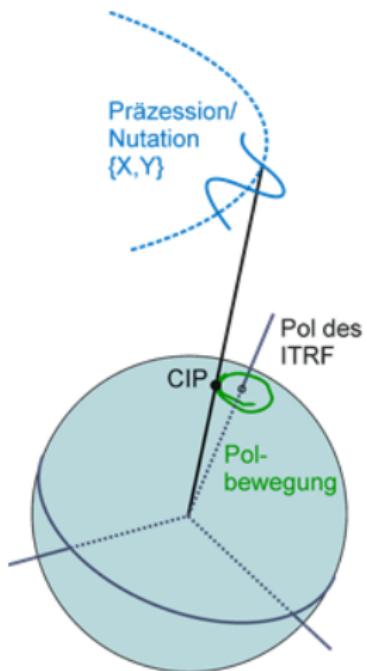
A priori time series (e.g. C04) from the International Earth Rotation and Reference Systems Service (IERS)

Five Earth Orientation parameters (EOPs):

- polar motion (x_p, y_p)
- precession, nutation (X, Y)
- UT1-UTC ($dUT1$)

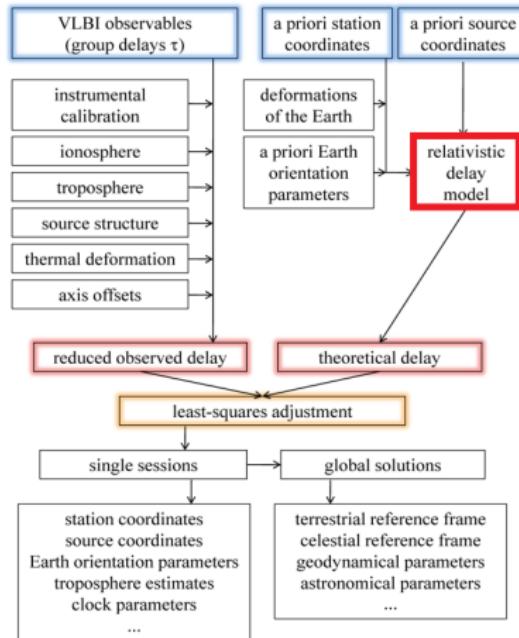
The theoretical delay

a priori Earth orientation parameters



The theoretical delay

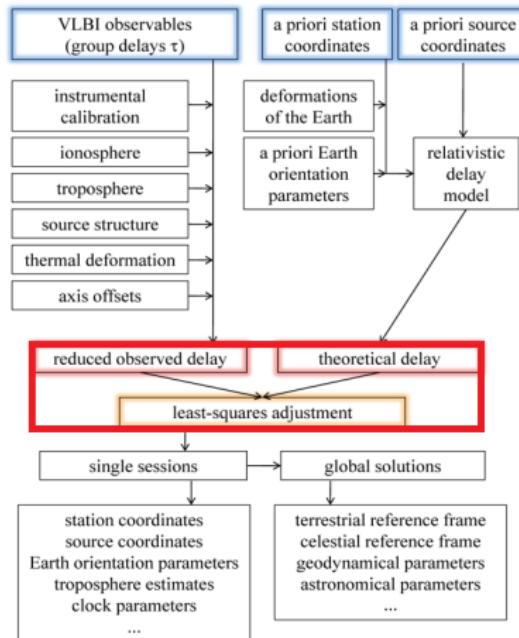
relativistic delay model



Relativistic corrections:

- Retarded baseline correction
- Gravitational retardation

Least Squares Adjustment

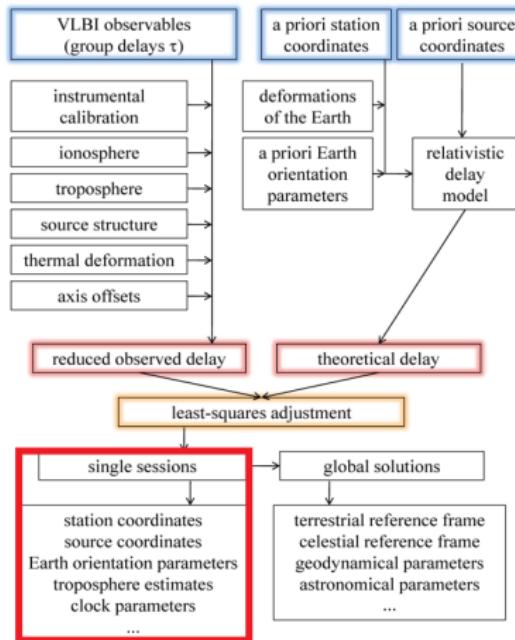


Now we have our reduced observed delay and our theoretical delay

→ we can build the observed minus computed vector $o - c$ and make a least squares adjustment

The results are the estimated parameters

Results single session



Primary parameters:

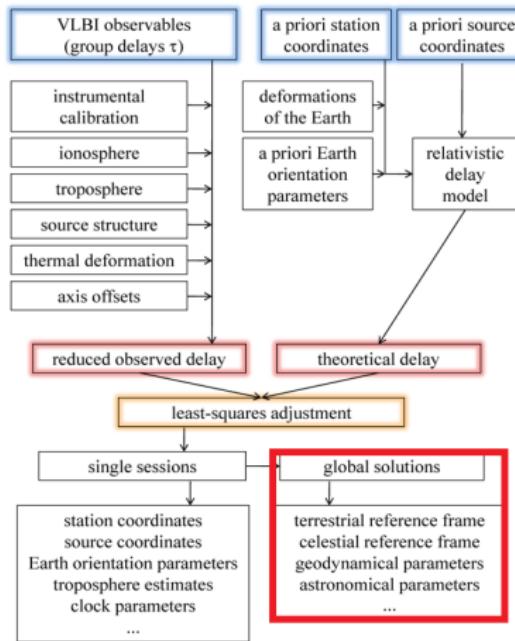
- station position
- source position
- EOPs

Secondary parameters (can not be modelled, and therefore have to be estimated)

- troposphere
- clock

Results

global solution



Combination of single sessions into one global adjustment.
Session specific parameters, such as troposphere and clock are reduced

Usual parameters:

- TRF
- CRF
- EOP

Special parameters

- axis offsets
- seasonal harmonics of station positions

Results

Polar motion x_p, y_p	Accuracy	50-80 μas
	Product delivery	8-10 days
	Resolution	1 day
	Frequency of solution	~ 3 days/week
UT1-UTC	Accuracy	3-5 μs
	Product delivery	8-10 day
	Resolution	1 day
	Frequency of solution	~ 3 days/week
UT1-UTC (Intensives)	Accuracy	15-20 μas
	Product delivery	1 day
	Resolution	1 day
	Frequency of solution	7 days/week
Celestial pole dX, dY	Accuracy	50 μas
	Product delivery	8-10 days
	Resolution	1 day
	Frequency of solution	~ 3 days/week
TRF (x, y, z)	Accuracy	5 mm
CRF (α, δ)	Accuracy	40-250 μas
	Frequency of solution	1 year
	Product delivery	3 months

Status 2010 of IVS main products (Schlüter and Behrend 2007)



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